## Lecture Notes

## Notes

- Divisibility refers to one number dividing evenly into another number, with 0 remainder.
- Divisible: $12 \div 4=3, R 0$
- Not divisible: $11 \div 5=2, R 1$
- We use the divisibility rules to quickly determine the divisibility of number, without using long division.
- It would not be wrong to use long division for divisibility, but it will take longer to do.
- The main benefit from using divisibility rules is the quickness of the method.
- Divisibility rules exist for the numbers $4,6,7,8 \ldots$, but we will not cover them in this course nor in MAT 050.


## DIVISIBILITY RULES

| Divisible <br> By? | Rule for Divisibility | Examples |
| :---: | :--- | :---: |
| $\mathbf{2}$ | A number is divisible by $\mathbf{2}$ if its ones <br> digit is even $(0,2,4,6,8)$. | $10,86,102,384$ |
| $\mathbf{3}$ | A number is divisible by $\mathbf{3}$ if the sum <br> of its digits is divisible by 3. | $18,36,123,609$ |
| $\mathbf{5}$ | A number is divisible by $\mathbf{5}$ if its ones <br> digit is 0 or 5. | $20,65,130,785$ |
| $\mathbf{9}$ | A number is divisible by $\mathbf{9}$ if the sum <br> of its digits is divisible by 9. | $27,63,162,819$ |
| $\mathbf{1 0}$ | A number is divisible by $\mathbf{1 0}$ if its ones <br> digit is 0. | $30,90,170,540$ |

